

Forecasting the Flu with Simple Nonlinear Models

Hannah Biegel

Joceline Lega

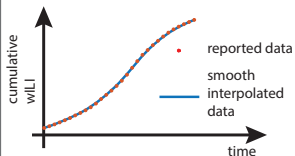
University of Arizona

August 30, 2018

Main Idea: Use a single differential equation to describe wLLI “incidence” as a function of cumulative wLLI.

- 1.) **Start** with wLLI incidence as a function of time and **add noise**
- 2.) **Smooth** and **interpolate** the (reported + noise) incidence data
- 3.) **Plot** the resulting curve in the (N = cumulative wLLI, G = wLLI incidence) plane
- 4.) **Fit** each model to the $G(N)$ curve and **solve** the differential equation $dN/dt = G(N)$ to **make predictions** and identify various targets
- 5.) **Repeat** above process $K \geq 1000$ times and **combine** all predictions into histograms to approximate a probability distribution function

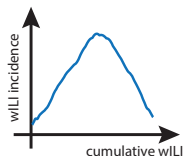
- 1) Smooth and interpolate cumulative wILI curve



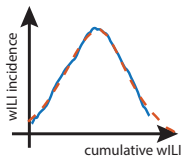
Calculate wILI "incidence" from interpolated data



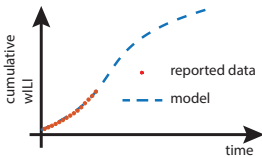
- 2) Plot wILI incidence in terms of cumulative wILI



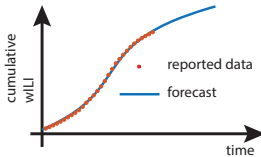
- 3) Approximate plot by model-specific function



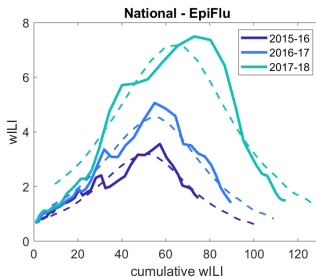
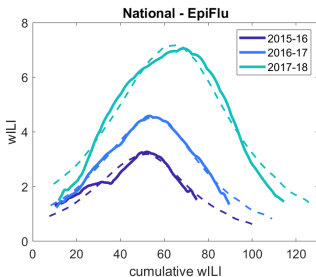
- 4) Match model-specific function to available cumulative wILI data



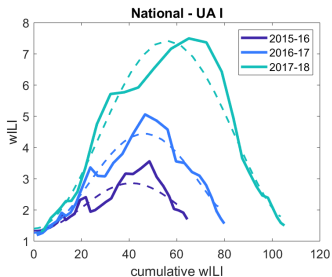
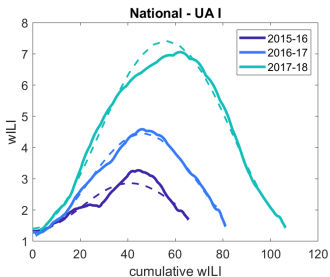
- 5) Use model-specific function to forecast cumulative wILI data



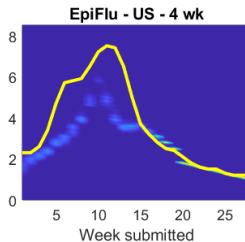
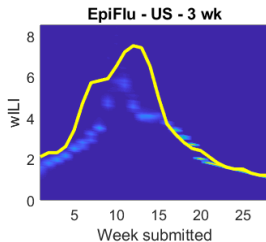
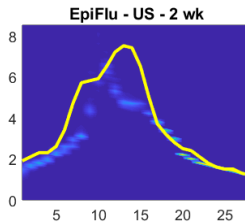
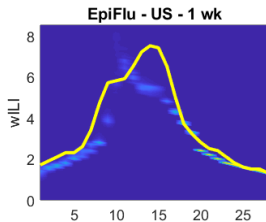
EpiFlu matches the data to an incidence/cumulative cases curve obtained by averaging over regional and national historical data.



UA I matches the data to an incidence/cumulative cases curve given by a cosine function, $dN/dt = \alpha \cos(\beta G) + \gamma$



EpiFlu Results



US Scores:

1 wk: -2.00

2 wk: -2.31

3 wk: -2.73

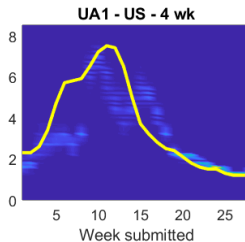
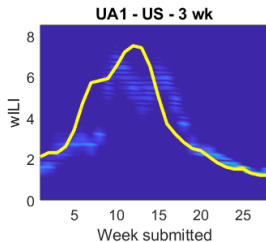
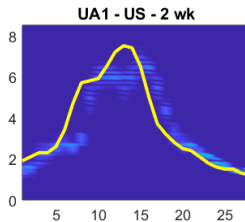
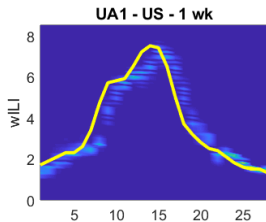
4 wk: -3.03

Onset: -0.99

Peak: -3.10

Peak wk: -2.53

UA I Results



US Scores:

1 wk: -1.94

2 wk: -2.48

3 wk: -3.21

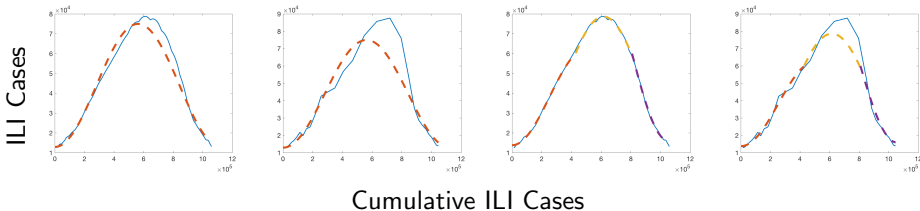
4 wk: -3.57

Onset: -0.48

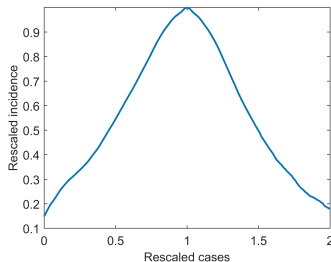
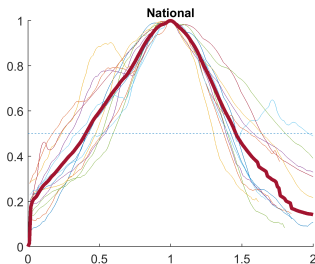
Peak: -4.56

Peak wk: -1.56

- Errors and problems
 - Near the beginning of the season, failed to predict severity of influenza this year (peak percent)
 - Shape of model curve failed to match the data this year
- Things to try next year
 - Fit model to ILI incidence data and then convert predictions into predictions of wILI
 - Use data assimilation techniques to fit model parameters



EpiFlu matches the data to an incidence/cumulative cases curve estimated from previous flu seasons



Left: Incidence as a function of cumulative cases for 13 flu seasons where each curve is such that $G_i \rightarrow G_i / \max(G_i)$ and $C_i \rightarrow C_i / L$, where $L = \langle C_i^* \rangle$ and $G(C_i^*) = \max(G_i)$.

Right: A single rescaled incidence/cumulative cases “GC-curve” is obtained by averaging over regional and national historical data.